

Which has a lower Enthalpy?


A. liquid iron

B. solid iron ←

C. they are exactly the same

D. it depends on the temperature

Which has a higher Entropy?

- A. liquid iron 
- B. solid iron
- C. they are exactly the same
- D. it depends on the temperature

Which has a lower Gibb's Free Energy?

- A. liquid iron
- B. solid iron
- C. they are exactly the same
- D. it depends on the temperature ←

## Equilibria

Balance between stability of  
lower Enthalpy (energy)  
& higher Entropy

### Physical Equilibria

Phase transitions (no "chemistry")

State with the lowest free energy is most stable

$$G = H - TS$$

therefore at high temperature  
the state with highest S will be the most stable

# Vapor pressure

little bit of liquid

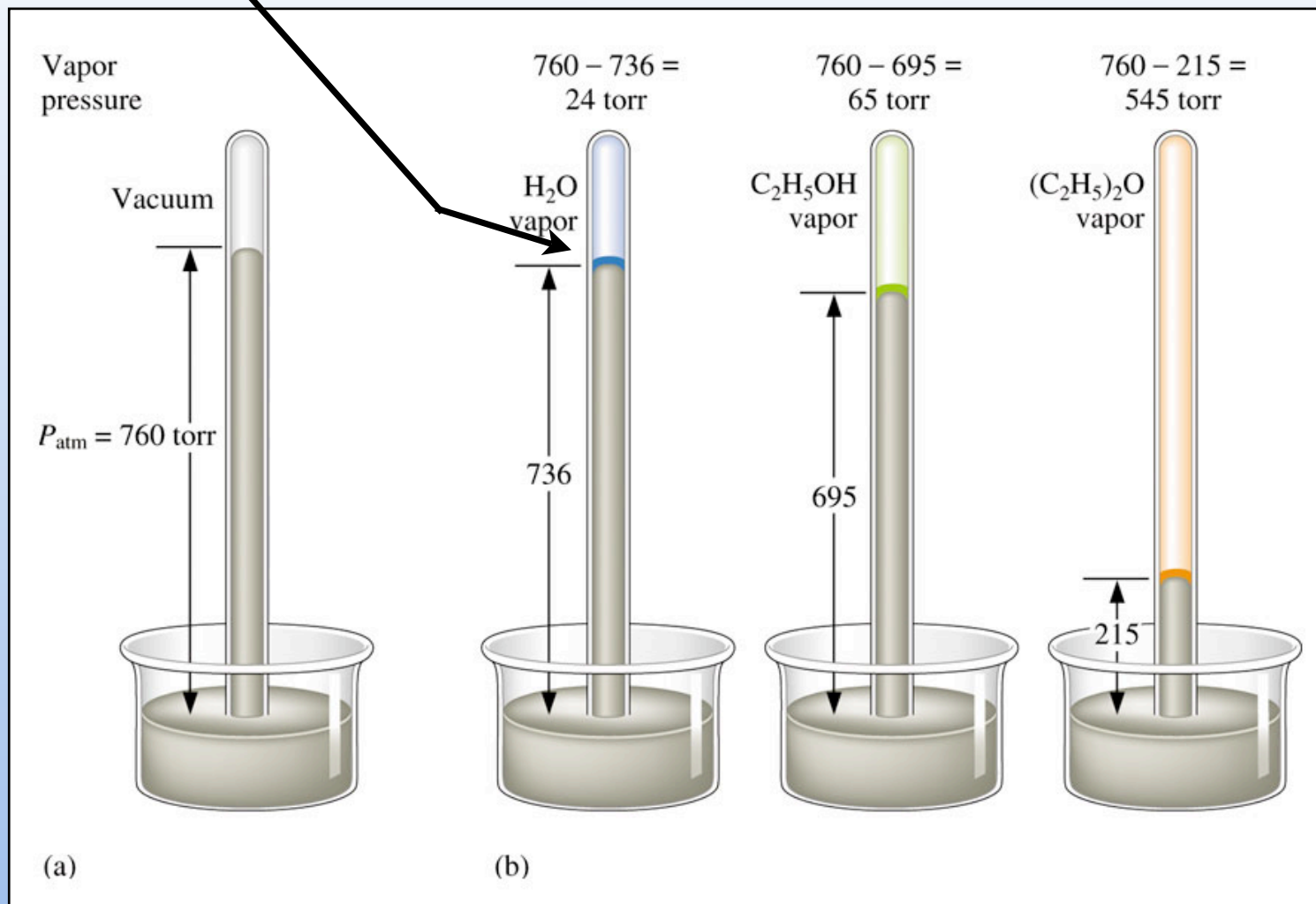


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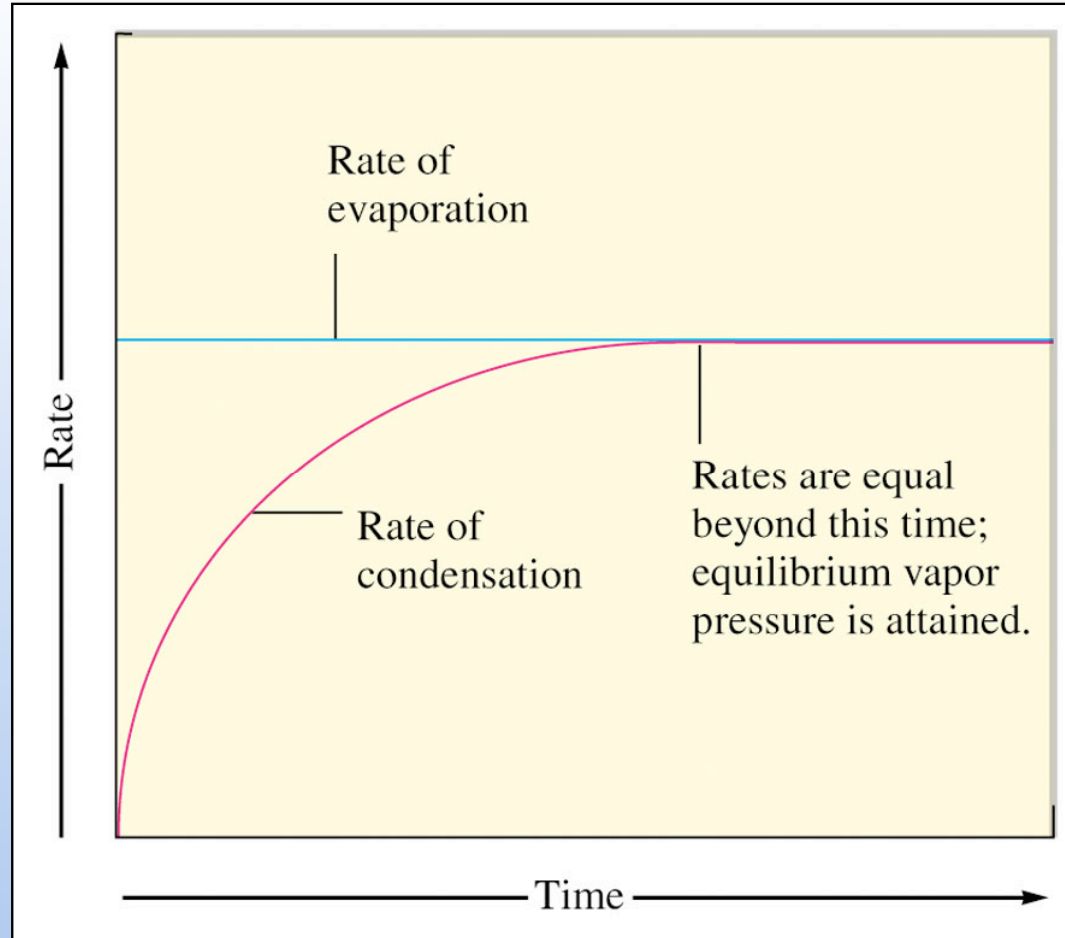


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Look at movie

## Comparing different liquids

what matters is the free energy of the vapor compared to the liquid

For almost all substances the difference in **ENTROPY** between the vapor and the liquid is the same!

$$\Delta S_{\text{vap}} = 85 \text{ J K mol}^{-1}$$


Therefore the diversity in liquids properties is dominated by the **ENTHALPY** of vaporization

## Enthalpies of Vaporization

Water	40.65 kJ mol <sup>-1</sup>
Ammonia	23.35 kJ mol <sup>-1</sup>
Diethyl Ether	27.4 kJ mol <sup>-1</sup>
Methane	8.19 kJ mol <sup>-1</sup>
Methanol	37.8 kJ mol <sup>-1</sup>
Ethanol	38.5 kJ mol <sup>-1</sup>
Propanol	47.5 kJ mol <sup>-1</sup>
Butanol	51.6 kJ mol <sup>-1</sup>



Why does butanol ( $\text{C}_4\text{H}_9\text{OH}$ ) have a lower vapor pressure than methanol ( $\text{CH}_3\text{OH}$ )?

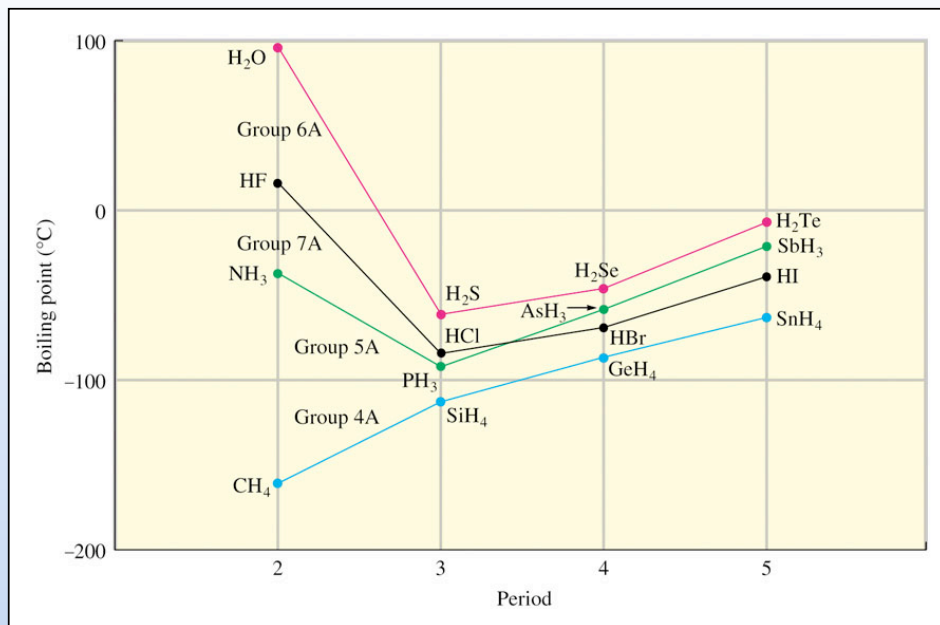
- A. it has a higher entropy
- B. it has stronger inter molecular forces 
- C. it has a lower molecular weight
- D. it has a higher density

Intermolecular forces lead to the enthalpy difference between the liquid and the vapor

The larger the IMF the larger the  $\Delta H_{\text{vap}}$

The larger the  $\Delta H_{\text{vap}}$   
the smaller the vapor pressure

The the smaller the vapor pressure  
the higher the boiling point



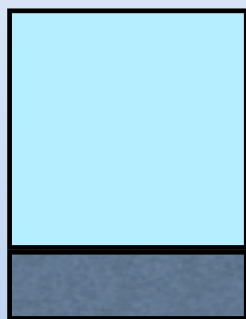
Why is the boiling point of H<sub>2</sub>Te higher than H<sub>2</sub>Se?

- A. H<sub>2</sub>Te has a larger dipole
- B. H<sub>2</sub>Se has more dispersion forces
- C. H<sub>2</sub>Te has more dispersion forces
- D. Both A & C

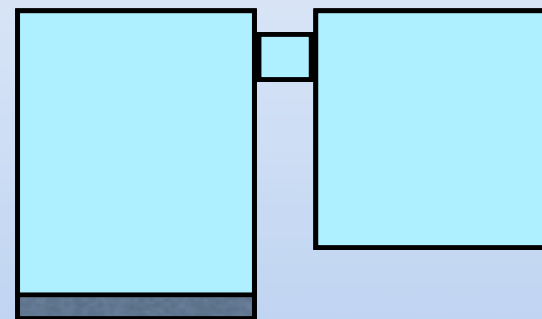
Before we get to boiling let's look at how different properties affect vapor pressure



first all liquid



then comes  
to equilibrium  
with liquid + vapor  
with a pressure that is  
the vapor pressure



then add more volume

At equilibrium there is less  
liquid, but the same  
Pressure!

At equilibrium  $\Delta G = 0$

Therefore when a liquid is at its equilibrium vapor pressure

$$G_{gas} - G_{liq} = 0$$

The Gibbs energy of the liquid at a given pressure is essentially equal to the Gibbs Energy at standard pressure as it is a very weak function of pressure (known from Thermodynamics that is beyond what is covered in General Chemistry)

Therefore

$$G_{liq} = G_{liq}^{\circ}$$

The Gibbs energy of the gas is a strong function of pressure such that (again a known thermodynamic result)

$$G_{gas} = G_{gas}^{\circ} + RT \ln P$$

Putting these two together we find

$$\Delta G = G_{gas} - G_{liq} = G_{gas}^{\circ} + RT \ln P - G_{liq}^{\circ} = 0$$

$$\Delta G_{VAP}^{\circ} = G_{gas}^{\circ} - G_{liq}^{\circ} = -RT \ln P$$

Where  $\Delta G_{VAP}^{\circ}$  the standard Gibbs Energy for the reaction  $liq \rightarrow gas$  and is given by

$$\Delta G_{VAP}^{\circ} = \Delta H_{VAP}^{\circ} - T \Delta S_{VAP}^{\circ}$$

Using all this we can relate the pressure to the temperature at equilibrium

$$\Delta G_{VAP}^{\circ} = \Delta H_{VAP}^{\circ} - T \Delta S_{VAP}^{\circ} = -RT \ln P$$

$$-\ln P = \frac{\Delta H_{VAP}^{\circ}}{RT} - \frac{\Delta S_{VAP}^{\circ}}{R}$$

This equation is essentially P as a function of T where all else is a constant. It is typically rearranged to look at two pressures  $P_2$  and  $P_1$  at two temperatures  $T_2$  and  $T_1$

$$\ln \left( \frac{P_2}{P_1} \right) = - \frac{\Delta H_{VAP}^{\circ}}{R} \left[ \frac{1}{T_2} - \frac{1}{T_1} \right]$$

This is the Clausius-Clapeyron Equation. It relates the vapor pressure at two temperatures to the enthalpy of vaporization.